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Nils Ackermann

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Statistics of Citations in Published Works

Year	Number
0	1
2001	1
2003	1
2005	8
2006	5
2007	9
2008	19
2009	19
2010	17
2011	8
2012	19
2013	29
2014	28
2015	23
2016	38
2017	15
2018	8
Total	248